

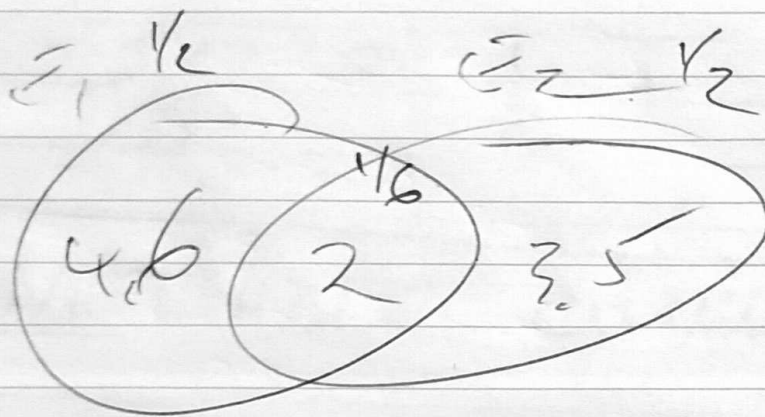
DISCRETE

11/14/19

DIE OUTCOME: 1, 2, 3, 4, 5, 6

EVENTS EVEN $E_1 = \{2, 4, 6\}$

PRIME $E_2 = \{2, 3, 5\}$ $P = 1/2$



CONTINUOUS OUTCOME

WEIGHT $\sigma_1 = 50$

$$E_1 = \{50 \leq w_1 \leq 60\}$$

$$E_2 = \{52 \leq w_1 \leq 58\}$$

PROBABILITIES
FAIR DIE

$$P(1) = 1/6$$

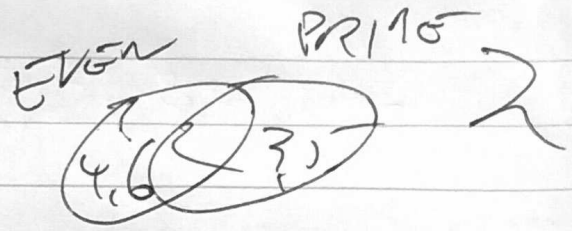
$$P(2) = 1/6$$

$$P(E_1) = 1/2$$

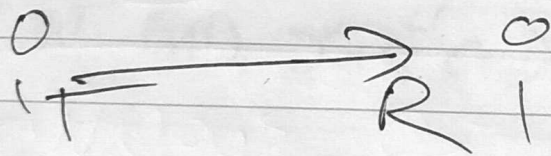
$$P(E_2) = 1/2$$

$$P(E_1 \cup E_2) = P(E_1) + P(E_2) - P(E_1 \cap E_2)$$

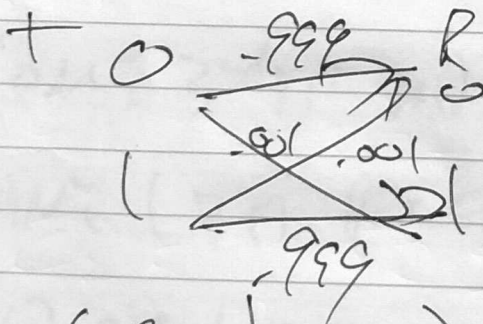
$$5/6 = 1/2 + 1/2 - 1/6$$



UNRELIABLE CHANNEL



~~$P(T=0)$~~ $P(\text{ERROR}) = .001$



$$P(R=1 | T=1) = .999$$

MAKE IT MORE RELIABLE

TRANSMIT 3 TIMES T VOTE

XMIT 000

RCV

001

011

ASSUMES

1
Error

~~b₁~~ b₂ b₃

$$P(\text{ALL 3 RCV OK}) = .999^3$$

$$P(\text{1st BIT BAD, 2nd + 3rd GOOD}) = .001 \times .999^2$$

$$P(\text{ONLY 2nd BIT BAD}) = .000998$$

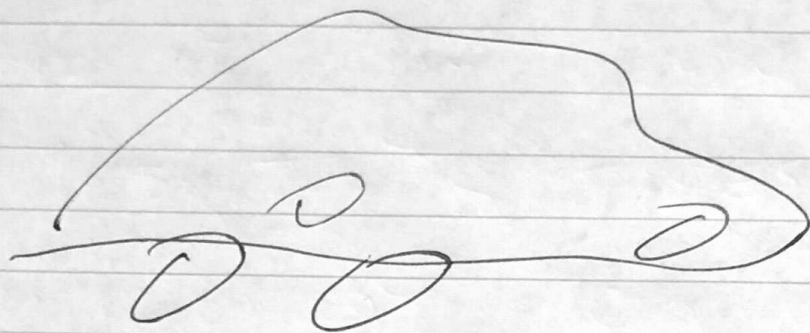
$$P(\text{ONLY 3rd BIT BAD}) = .000998$$

$$P(\text{ANY 1 BIT RECEIVED WRONG}) = .002996$$

$$P(\text{0 OR 1 BAD BITS}) = .999997$$

SEE WIKI

ASSUMES INDEPENDENCE



4

4 WHEELS

$$P(\text{FLAT}) = .01$$

$P(\text{CAR DISABLED}) ?$

$$P(\text{NO FLAT}) = .99^4 = .96$$

CAR IS LESS RELIABLE THAN
EACH TIRE
ALL 4 TIRES MUST WORK.